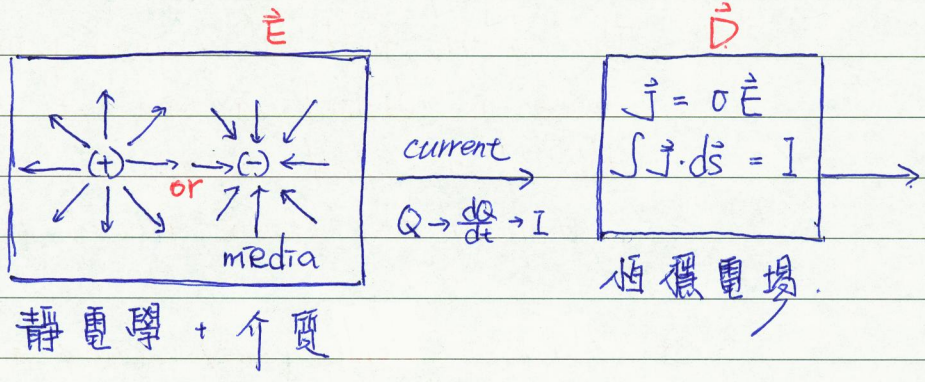


Chapter 1-4.



Chapter 5.

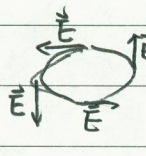
moving electron \rightarrow

A. Divergency

B. curl $\nabla \times \vec{E} = 0$



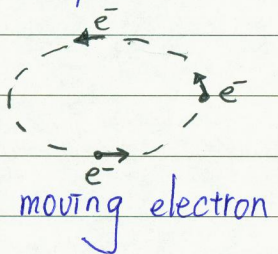
$\frac{\vec{E} \cdot \Delta A}{\Delta V} = \text{Density}$
 $\oint \vec{E} \cdot d\vec{s} = \int \rho dv$



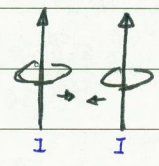
$\vec{E} \cdot d\vec{l} \Rightarrow \oint \vec{E} \cdot d\vec{l} = 0$
potential closed path.

Chapter 5.

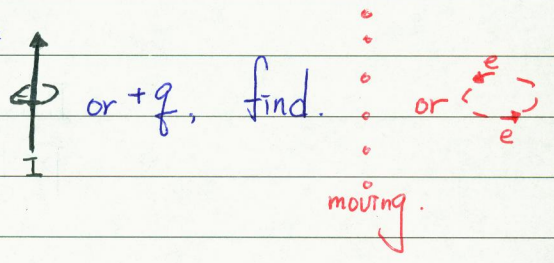
Ampere in 1820s experiment.



Case I:



Case II:



* The definition of magnetic field is slightly more difficult or formula. The electric field at a given point in space is defined in terms of the force the electric field exerts on a small stationary test charge placed there.

* Magnetic forces only acting on moving charges, so it is nature to use the magnetic force \vec{F} exerts on a positive charge q , where velocity is \vec{v} .

So Ampere can write down as

$$\vec{F} \propto q (\vec{v} \times \vec{B}) = qvB \sin\theta$$

* The magnitude is specified by

$$B = \frac{F}{qv \sin\theta}$$

The unit of magnetic field in SI is

$$\frac{\text{Newtons}}{\text{Ampere-meter}} = \text{tesla (T)}$$

* Thus a charged particle q of momentum \vec{p} has the classical equation of motion.

$$\vec{F} = ma \Rightarrow \frac{d\vec{p}}{dt} = \frac{dm\vec{v}}{dt} = q(\vec{E} + \vec{v} \times \vec{B})$$

* It is interesting to note that the magnetic field DOES NOT mechanical work on a moving charged particle.

* Newton said $\vec{F} \cdot d\vec{l} = dW = F dl \cos\theta$
 $\cos\theta = 1 \Rightarrow F dl$

* Prove the mechanical work is zero.

(1) The vector product $\vec{v} \times \vec{B}$ is the force incorporate the fact that the force due to the \vec{B} -field is perpendicular both \vec{B} & $\vec{v} \Rightarrow \vec{B} \cdot (\vec{v} \times \vec{B}) = 0$

(2) or $\vec{F} = \frac{dW}{dt} \Rightarrow dW_{\text{mag}} = \vec{F} \cdot d\vec{l} = q(\vec{v} \times \vec{B}) \cdot \vec{v} dt$
 $= q dl [(\vec{v} \times \vec{B}) \cdot \vec{v}] = 0$