

## Outline

We will skip partition matrix (Section 1.5) for the moment. Chapter 2 covers the topic of determinant. You don't need to remember the formula on P 102{104. As the author rightly pointed out, it is much easier to calculate determinant using row operations for  $n > 3$ . We will use different approach here.

1. We will define the determinant on (upper) triangular matrix (Theorem 2.1.3), elementary matrices (Summary on P 110) and take Theorem 2.1.2,  $\det(A^T) = \det(A)$  as fact.
2. Main results: Theorem 2.2.2, 2.2.3.
3. Chapter 3. Vector Space. Now we are cooking!
4. Recall  $AX = b$  is consistent if and only if  $b$  can be written as linear combination of column vectors of  $A$ . Solutions exist? Unique?
5. Let  $A$  be a  $m \times n$  matrix. Null space and span (space).
6. Common structure: Subspace.

## Homework (due 020411)

1. §1.4: 15. Chapter 1: Chapter test (P 97{98).
2. §